

GEOMETRIC SEQUENCES

Note Title

5/11/2012

- GEOMETRIC SEQUENCES INVOLVE MULTIPLYING

INSTEAD OF ADDING.

IS 3, 6, 12, 24, 48 COMMON RATIO = 2

$\xrightarrow{\times 2}$ $\xrightarrow{\times 2}$

GEOMETRIC SEQUENCE: THE RATIO FORMED BY

ADJACENT ANY TERM BY THE PRECEDING TERM

IS A CONSTANT. THIS CONSTANT IS THE COMMON RATIO.

THE A) $\underline{3}, \underline{9}, 27, 81, 243$

COMMON RATIO = 3

B) $2, -10, 50, \underline{-250}$

COMMON RATIO = -5

C) $2, 4, 8, 12$

NOT A GEOMETRIC SEQUENCE

DS FIND THE MISSING TERMS

$3, \underline{12}, \underline{48}, 192$

$$3 \times r \times r \times r = 192$$

$$\frac{3r^3}{3} = \frac{192}{3}$$

$$r^3 = 64$$

$$r = \sqrt[3]{64}$$

$$r = 4$$

$$\underline{Q12} \quad t_n = ar^{n-1}$$

$$192 = 3r^{4-1}$$

$$\frac{192}{3} = \frac{3r^3}{3}$$

$$64 = r^3$$

$$4 = r$$

THE FIND THE MESSAGE SUM

$$S, \frac{+30}{r}, 180$$

Solve $t_n = ar^{n-1}$

$$180 = 5r^{3-1}$$

$$180 = 5r^2$$

$$36 = r^2$$

$$\pm 6 = r$$

THE A BACTERIA DIVIDES IN POPULATION EVERY HOUR,
WITH A STARTING POPULATION OF 100, HOW MANY
BACTERIA AFTER 4 HOURS?

$$t_n = ar^{n-1}$$

100

$$t_n = 100(2)^{n-1}$$

$$t_n = 100(2)^4$$

$$t_n = 1600$$

* GENERATE TERM - μ AND σ^2 AND τ

$$E t_n = 100(2)^{n-1}$$

H/W Pg 47 # 1-12, 14